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## Operator DYNA\_LINE\_TRAN

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### 1 Drank

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Compute the response transient dynamics with an unspecified temporal excitation.

The temporal loading must be given in the form of a linear combination of constant vectors forces assembled in time. They can be provided directly in the form of assembled vectors or loads which will be assembled in the algorithm.

Only the coefficients of the linear combination are function of time.

The implicit integration methods available are WILSON-theta and NEWMARK, and the explicit integration methods available are the diagram with the differences centered, and a version with adaptive step of this same diagram.

Times of archivage can be specified.

Product a result concept of the `dyna_trans` type.

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## 2 Syntax

```

dyn [dyna_trans] = DYNA_LINE_TRAN

(
  ◇ reuse =dyn ,
  ◇ MODELS =mo , [model]
  ◇ CHAM_MATER =chmat , [cham_mater]
  ◇ CARA_ELEM =carac , [cara_elem]
  ◆ MATR_MASS =m, [matr_asse_DEPL_R]
  ◆ MATR_RIGI =k, [matr_asse_DEPL_R]
  ◇ MATR_AMOR =c, [matr_asse_DEPL_R]
  ◇ MODE_STAT =modestat , [mode_meca]
  ◇ SCHEMA_TEMPS =_F (
    ◆ SCHEMA = ( | "NEWMARK", [DEFAULT]
                 | "WILSON",
                 | "DIFF_CENTRE"
                 | "ADAPT_ORDRE2"
              ),
    ◇ BETA =/0.25, [DEFAULT]
              /beta, [R]
    ◇ GAMMA =/0.5, [DEFAULT]
              /gamma, [R]
    ◇ THETA =/1.4, [DEFAULT]
              /th, [R]
  ),
  ◇/ETAT_INIT = _F (
    ◆/RESULTAT = Dy, [dyna_trans]

    ◇ /NUME_ORDRE = nuord, [I]
      /INST_INIT = to, [R]
    ◇ / CRITERE = ' RELATIF', [DEFAULT]
      ◇ accuracy = /1.E-06, [DEFAULT]
              /prec, [R]
      / CRITERE = "ABSOLU",
      ◆ accuracy = prec, [R]
  / DEPL = depl, [cham_no_sdaster]
  QUICKLY = quickly,

[cham_no_sdaster]

  ACCE = acce, [cham_no_sdaster]
),
  ◇EXCIT=_F (
    ◆/CHARGE = chi, [char_meca]
      ◇ FONC_MULT = fi, [function]
      /VECT_ASSE = goes,

[cham_no_sdaster]

      ◇/COEF_MULT = have, [R]
        /FONC_MULT = fi, [function]
        /DEPL = depl, [function]
        QUICKLY = quickly, [function]
        ACCE = acce, [function]
    ◇ MULT_APPUI=/ "OUI",
      / "NON", [DEFAULT]
    ◇ DIRECTION= (d1, d2, d3), [l_R]
    ◇ NOEUD= lno, [l_noeud]
    ◇ GROUP_NO= lgrno, [l_gr_noeud]
  ),
  ◇ EXCIT_RESU=_F (

```

```

      ◆RESULTAT = resuforc, [dyna_trans]
      ◆COEF_MULT = have, [R]
    ),
  ◇ AMOR_MODAL =_F (
    ◆ AMOR_REDUIT= l_amor, [l_R]
    ◆ MODE_MECA = mode, [mode_meca]
    ◇ NB_MODE=/ nbmode, [I]
      /9999, [DEFAULT]
    ),
  ◇ solver =_F (see the document [U4.50.01] and the paragraph
corresponding in present Doc.),
    ◆ INCREMENT =_F (
      ◆ /LIST_INST = litps, [listr8]
      /PAS = dt, [R]
      ◇INST_INIT =ti, [R]
      ◇ /INST_FIN = tf, [R]
      /NUME_FIN = nufin, [I]

      ◇ PAS_CALCUL =/1, [DEFAULT]
      /ipas, [I]

      ◇ VITE_MIN =/"MAXI",
      /"NORM", [DEFAULT]
      ◇ COEF_MULT_PAS = cmp, [R]
      /1.1, [DEFAULT]
      ◇ COEF_DIVI_PAS = cdp, [R]
      /1.3334, [DEFAULT]
      ◇ PAS_LIMI_RELA = plr, [R]
      /1.D-06, [DEFAULT]
      ◇ NB_POIN_PERIODE =/Np, [I]
      /50, [DEFAULT]

      ◇ NMAX_ITER_PAS =nip, [I]
      16, [DEFAULT]
      ◇ PAS_MINI =dtmin, [R]
    ),
  ◇ENERGIE=_F ()

  ◇ ARCHIVAGE=_F (
    ◆ /LIST_INST = list [listr8]
    /INST = in [R]
    /PAS_ARCH = ipa [I]
    ◇/ CRITERE = ' RELATIF', [DEFAULT]
    ◇ accuracy = /1.E-06, [ DEFAULT]
      /prec, [R]
    / CRITERE = "ABSOLU",
    ◆ accuracy = prec, [R]
    ◇CHAM_EXCLU = ( | "DEPL",
| "QUICKLY",
| "ACCE"
),
  ),
  ◇ TITER = title, [l_Kn]
  ◇ INFO = /1,
/2,

```

)

## 3 Equations of behavior under transitory excitation

---

the operator carries out the direct temporal integration of a transitory linear mechanical problem of the form:

$$\mathbf{M}\ddot{\mathbf{x}} + \mathbf{C}\dot{\mathbf{x}} + \mathbf{K}\mathbf{x} = \sum_i \alpha_i(t) \mathbf{F}_i(\mathbf{x})$$

where the matrixes  $\mathbf{M}, \mathbf{C}, \mathbf{K}$  are the assembled real matrixes of the problem finite elements (respectively) of mass, damping and stiffness of the system.

$\alpha_i$  Are functions of time (cf `DEFI_FONCTION` [U4.31.02]) and the  $\mathbf{F}_i$  are assembled vectors resulting from loadings in imposed force (cf `AFFE_CHAR_MECA` [U4.44.01]); they can be provided directly in the form of assembled vectors or loads which will be assembled in the algorithm.

The solution  $(\mathbf{X}, \dot{\mathbf{X}}, \ddot{\mathbf{X}})$  is calculated on a temporal discretization  $t_i$  of the interval of study specified by the user.

## 4 Operands

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### 4.1 Operand `MODELS`

◇ `MODELS = Mo`

Name of the model whose elements are the object of dynamic computation.

This operand is compulsory when an excitation of the type is applied charges with the key word `EXCIT` (cf [§4.7]).

### 4.2 Operand `CHAM_MATER`

◇ `CHAM_MATER = chmat`

Name of the affected material field on the model `Mo`, necessary when an excitation of the type is applied with the key word charges `EXCIT`.

### 4.3 Operand `CARA_ELEM`

◇ `CARA_ELEM = carac`

Name of the characteristics of the beam elements, shell etc, necessary when an excitation of the type is applied with the key word charges `EXCIT`.

### 4.4 Matrixes of the problem

◆ `MATR_MASS = m`

Concept stamps assembled of `matr_asse_DEPL_R type` corresponding to the mass matrix of the system.

◆ `MATR_RIGI = K`

Concept stamps assembled of `matr_asse_DEPL_R type` corresponding to the stiffness matrix of the system.

◇ `MATR_AMOR = C`

Concept stamps assembled of `matr_asse_DEPL_R type` corresponding to the damping matrix of the system.

---

*Warning : The translation process used on this website is a "Machine Translation". It may be imprecise and inaccurate in whole or in part and is provided as a convenience.*

**N.B:** the three matrixes must lean on same classification and be built with the same mode of storage. It is true also of a damping matrix built like linear combination of the stiffness matrixes and mass by the method of Rayleigh: to use the matrix of the complete mass matrix to build the damping matrix and the diagonal mass matrix (explicit diagrams such as `DIFF_CENTRE` or `ADAPT`) for integration in time can lead to a numerical instability.

## 4.5 Diagrams of integration. Key word `SCHEMA_TEMP`S

Under this key word one can inform a diagram of integration with, possibly, its parameters. The diagrams available are to be declared under operand `SCHEMA`.

### 4.5.1 Operand `SCHEMA`

| ' NEWMARK '

implicit Diagram of integration of type NEWMARK. It is the diagram by default for the transient analysis on physical base.

One can specify the parameters of integration  $\beta$  and  $\gamma$  :

◇ BETA = beta

Value of the parameter  $\beta$  for the method of NEWMARK. By default  $\beta=0.25$  .

◇ GAMMA = gamm

Value of the parameter  $\gamma$  for the method of NEWMARK. By default  $\gamma=0.5$  .

See [R5.05.02] for the choice of other values.

| ' WILSON '

implicit Diagram of integration of type WILSON. With this diagram one can inform:

◇ THETA = HT

Value of the parameter  $\theta$  for the method of WILSON. By default  $\theta=1,4$  .

This diagram should not be used when one imposes non-zero displacements via an assembled vector. See [R5.05.02].

| "DIFF\_CENTRE"

Diagram of integration clarifies by central differences. The use of this diagram imposes certain enumerated restrictions of use on [§6.3]. The theoretical description of the diagram is made in [feeding-bottle 2].

| "ADAPT\_ORDRE2"

Diagram of integration clarifies with time step adaptive, alternative of the diagram of the central differences. The use of this diagram imposes certain enumerated restrictions of use on [§6.3] (see [feeding-bottle 2]).

#### Foot-note bucket

One cannot use the explicit **diagrams** ( `DIFF_CENTRE` , `ADAPT_ORDRE2` ) with the **shell elements and shell** (except `SHB`).



## 4.6 Key word ETAT\_INIT

This functionality allows a poursuite of a transient computation, by taking as initial state one result obtained by a preceding computation with DYNA\_LINE\_TRAN. It also makes it possible to define initial conditions of the fields at nodes type.

### Foot-note bucket

For the diagrams of a higher nature ( *NEWMARK* or *WILSON* ), initial acceleration ( *acce\_init* ) cheek an important role in the initialization of the diagram.

### 4.6.1 Operands RESULTAT

◆ /RESULTAT = Dy

Concept of the `dyna_trans` type resulting from a preceding computation with DYNA\_LINE\_TRAN, and defining the initial conditions for new computation.

### 4.6.2 Operands DEPL/ VITE/ACCE

/ DEPL = C

Concept corresponding to initial displacements (field at nodes of quantity `DEPL_R`).

QUICKLY = vo

Concept corresponding at the initial speeds (field at nodes of quantity `DEPL_R`).

ACCE = ao

Concept corresponding to initial accelerations (field at nodes of quantity `DEPL_R`).

If the key `key` is present, one uses the field of acceleration entered to initialize the various diagrams of integration in time according to the algorithms described in the document [R5.05.02].

If it is absent one calculates an initial acceleration by the following formula:

$$M.a_o = F_{ext}(t=t_o) - C.v_o - K.x_o$$

### Notice important:

When the initial state of the dynamic system is defined by fields of `DEPL`, `QUICKLY`, and/or `ACCE`, the components of these fields which were not explicitly indicated during the creation of the fields are considered null during transient dynamic computation.

### 4.6.3 Operands NUME\_ORDRE/ INST\_INIT

◇ /NUME\_ORDRE = nuord

`nuord` indicates the number of archivage of preceding computation to extract and take as initial state in the case of a recovery.

/INST\_INIT = to

previous Time of computation in the case of to extract and take as initial state a recovery.

In the absence of `NUME_ORDRE` and `INST_INIT`, moment of recovery is taken equal to the last time of filed preceding computation.

### 4.6.4 Operand CRITERE

◇ CRITERE =

Indicates with which accuracy the search of time must be done:

"RELATIF" : interval of search [(1-PREC) .instant, (1+prec) .instant]

"ABSOLU" : interval of search [time-PREC, instant+prec]

the default value of the search criterion is "RELATIF".

## 4.6.5 Operand accuracy

◇ accuracy =/1.E-06 [DEFAULT]  
/prec [R]

Indicates with which accuracy the search of time must be done.

## 4.7 Key word EXCIT

◇ EXCIT =

Operand allowing to define several space-time excitations. Either by indicating a vector assembled corresponding to a loading, or of the loads which will lead to the computation and the assembly of a second member. The assembled vector can be associated with a function with temporal evolution or a constant multiplying coefficient.

The total loading is the sum of the loadings defined by all the occurrences of key word EXCIT (cf [§4.7.2]).

### 4.7.1 Operands VECT\_ASSE / CHARGE

◆ /VECT\_ASSE = vecti

Vector assembled corresponding with a loading (concept of the cham\_no\_DEPL\_R type).

◇ /COEF\_MULT = Ci

multiplicative Coefficient of the vector assembled vecti.

/FONC\_MULT =  $\alpha_i$

See [§4.7.2].

/CHARGE = chi

chi is the loading possibly comprising the evolution of a field of temperature specified by  $i$  the  $i^{\text{ème}}$  occurrence of EXCIT.

See [§4.7.2].

### 4.7.2 Operand FONC\_MULT

◇ FONC\_MULT =  $\alpha_i$

$\alpha_i$  is the multiplicative function of the time of the assembled vector or the loading specified with  $i$  the  $i^{\text{ème}}$  occurrence of EXCIT.

The loading **ch** and the boundary conditions for  $n$  occurrences of factor key word the EXCIT are:

$$\mathbf{ch}(t) = \sum_{i=1}^n \alpha_i(t) \mathbf{ch}_i$$

The fields of temperature are not multiplied by  $\alpha_i$  in thermomechanical analysis.

**Notice important:**

*The boundary conditions of type non-zero imposed displacement can be imposed with an assembled vector or a load ; it is then necessary to use the diagram of Newmark imperatively .*

## 4.7.3 Operands MULTI\_APPUI / ACCE / QUICKLY / DEPL / DIRECTION / NOEUD / GROUP\_NO/MODE\_STAT

In the case of an excitation multi-bearings (MULT\_APPUI = "OUI"), the other operands have exactly the same meaning as in factor key word the EXCIT of operator DYNA\_TRAN\_MODAL [U4.53.21].

## 4.8 Key word EXCIT\_RESU

Key word allowing to define several complements of loading in the form of a transitory evolution of assembled vectors second members.

## 4.9 Key word AMOR\_MODAL

This key word makes it possible to take into account a damping equivalent to modal damping broken up on a basis of modes precalculated in the form of concept of the mode\_meca type. This damping is taken overall into account in the dynamic balance equation like a correct force with the second member  $-C\dot{X}$ .

**N.B.:** This way of introducing modal damping into a problem calculated on physical base can reduce the properties of stability of the time schemes. In particular for the diagram of integration "NEWMARK" it can result in reducing time step compared to time step without damping to avoid numerical divergences.

### 4.9.1 Operands MODE\_MECA / AMOR\_REDUIT / NB\_MODE

- ◆ MODE\_MECA=mode
- ◆ AMOR\_REDUIT=l\_amor
- ◇ NB\_MODE=nbmode

the concept mode of the mode\_meca type (entered by operand MODE\_MECA) represents the base of modes precalculated on which one breaks up modal damping. This base must imperatively have the same profile of classification as that of the dynamic system defined by the parameters of the key word solver [§4.11]. It is possible to truncate modal base with a number of modes defined by NB\_MODE. A default, one takes all the modes of modal base.

Modal dampings in reduced form are given in the form of a list of realities of which the number of terms is lower or equal to the number of modes taken into account. If the number of terms of the list is strictly lower, one extends this list with the value of his last term until its size reaches the number of calculated modes.

## 4.10 Key word ENERGIE

◇ENERGIE=        \_F (...)

This key word makes it possible to activate the computation of the assessment of energy, its display in the course of computation and its storage in the array of name PARA\_CALC. The assessment of energy can be extracted from this array using command RECU\_TABLE [U4.71.02].

## 4.11 Key word solver

the syntax of this key word common to several commands is described in the document [U4.50.01]. However, it is advisable to pay attention to some singularities of the use of the solvers in DYNA\_LINE\_TRAN :

Renumbering RENUM=RCMK (usable for LDLT and PCG) modifies the order of unknowns (NUMÉRIQUE\_EQUA), whereas the renumbering for MULT\_FRONT (METIS/MDA/MD) is "internal" to the solver: the unknowns (of the fields solutions) are arranged in the natural order of the nodes of the mesh.

However, in DYNA\_LINE\_TRAN, the matrixes being provided in entry, they have already a classification ("SANS" or "RCMK") and one not always not to change this classification in DYNA\_LINE\_TRAN.

The various cases below are recapitulated:

1) if matrixes  $K$  and  $M$  are numbered with:

- METHODE = "MULT\_FRONT" RENUM=METIS/MDA/MD  
or - METHODE = "LDLT" RENUM=SANS

then:

- one can use in DYNA\_LINE\_TRAN :

- METHODE = "MULT\_FRONT" RENUM=METIS/MDA/MD  
- METHODE = "LDLT" RENUM=SANS

- one NE CANNOT use in DYNA\_LINE\_TRAN :

- METHODE = "LDLT" RENUM=RCMK  
(actually, one can do it but RCMK is ignored)

2) if matrixes  $K$  and  $M$  are numbered with:

- METHODE = "LDLT" RENUM=RCMK

then:

- one can use in DYNA\_LINE\_TRAN :

- METHODE = "MULT\_FRONT" RENUM=METIS/MDA/MD  
- METHODE = "LDLT" RENUM=RCMK

- one NE CANNOT use in DYNA\_LINE\_TRAN :

- METHODE = "LDLT" RENUM=SANS  
(actually, one can do it but SANS is ignored)

## 4.12 Key word INCREMENT

Factor key word defining times of computation.

### 4.12.1 Operands LIST\_INST / NOT

- For the diagrams of Newmark and Wilson:

◆ /LIST\_INST = l\_temp

Concept lists realities of the listr8 type.

List realities defining times  $t_i$  of computation of the solution

- For the diagrams of the central differences and with time step adaptive:

/PAS = dt

Désigne time step used by the algorithm. This key word is compulsory for the diagram of the central differences and the diagram adaptive and nonavailable for the diagrams of Newmark and Wilson.

For the adaptive diagram, it indicates at the same time time step initial and the time step maximum one used by the algorithm.

This parameter must be sufficiently weak:

- to allow the computation of the static phases (which always use the maximum step),
- to start the algorithm correctly.

It must however be sufficiently high not to penalize the group of computation.

## 4.12.2 Operands INST\_INIT / INST\_FIN / NUME\_FIN

For the diagrams of the central differences and with time step adaptive:

◇ INST\_INIT = Ti

In the event of recovery one uses key word ETAT\_INIT [§4.6]: under this key word, initial time is recovered with operand INST\_INIT or taken equal to the last time of filed preceding computation.

Operand INST\_INIT under INCREMENT must thus be only used if it did not begin again there of a preceding computation.

◇ /INST\_FIN = tf

Instant of end of transient computation. Compulsory for the diagrams of the central differences and with time step adaptive.

/NUME\_FIN = nufin

Number of the time of end of computation in LIST\_INST (only for the diagrams of Newmark and Wilson).

If INST\_INIT is not present, initial time is zero.

## 4.12.3 Operands VITE\_MIN / COEF\_MULT\_PAS / COEF\_DIV\_PAS / PAS\_LIMI\_RELA / NB\_POIN\_PERIODE / NMAX\_ITER\_PAS / PAS\_MINI

These operands time step relate to only the diagram with adaptive.

◇ VITE\_MIN = "NORM" [DEFAULT]  
/ "MAXI"

Méthode de calcul velocity of reference used to evaluate the apparent frequency.

When the denominator of the apparent frequency  $(x_n - x_{n-1})$  becomes weak, the apparent frequency can become very high, which leads to an unjustified refinement of time step. To cure it, the algorithm uses the following criterion for each degree of freedom  $i$ :

$$\frac{|x_n^i - x_{n-1}^i|}{\Delta t} \leq v_{min}^i \Rightarrow f_{AP_n} = \frac{1}{2\pi} \sqrt{\frac{\ddot{x}_n^i - \ddot{x}_{n-1}^i}{v_{min}^i \Delta t}}$$

$v_{min}^i$  can be calculated in two ways different according to the value from VITE\_MIN:

**"NORM"** :  $v_{min}^i(t_n) = \text{Max} \left( \frac{\text{Max}(\dot{x}_{n+1/2}^k, \dot{x}_{n+1/2}^l)}{100}, 10^{-15} \text{ms}^{-1} \right)$  where  $k$  and  $l$  are the degrees of freedom of comparable nature that the degree of freedom  $i$  closest to  $i$  in classification (  $DX$  or  $DY$  or  $DZ$  ...).

**"MAXI"** :  $v_{min}^i(t_n) = \text{Max} \left( \frac{|v^i(t_p)|}{100}, 10^{-15} \text{ms}^{-1} \right)$  for the degree of freedom  $i$ .

Can be used if the order of magnitude velocity does not vary too much in the course of time.

◇ COEF\_MULT\_PAS = cmp

**Coefficient of coarsening of time step** (  $> 1$  ) when the error is sufficiently weak:

$$\Delta t_n < \frac{0.75}{Nf_{AP_n}} \text{ since more than 5 consecutive steps } \Rightarrow \Delta t_{n+1} = \min(\text{cmp} \Delta t_n, \Delta t_{max})$$

with  $\Delta t_{max} = \Delta t_{initial}$

Its value by default (  $\text{cmp} = 1.1$  ) guarantees stability and accuracy, but it can in general be increased (with more until 1.3 ) to accelerate integration.

◇ COEF\_DIVI\_PAS = cdp

**Coefficient of refinement of time step** (  $> 1$  ) when the error is higher than 1, that the nombre of iterations maximum (NMAX\_ITER\_PAS) is not reached and that the time step minimal one is not reached:

$$\Delta t_n > \frac{1}{Nf_{AP_n}}, \text{ Niter} < \text{Niter}_{max} \text{ and } \Delta t_n > \text{plr} * \Delta t_{initial} \Rightarrow \Delta t_n = \frac{\Delta t_n}{\text{cdp}}$$

value by default formulates is of 1.3334 , that is to say a reduction of a factor 0,75 .

◇ PAS\_LIMI\_RELA = plr

Coefficient applied to time step initial to define the limit of refinement and thus the time step minimal one:

$$\Delta t_{min} = \text{plr} * \Delta t_{initial}$$

◇ NB\_POIN\_PERIODE = N

Number of points per apparent period. It is this parameter which fixes the accuracy of computation. It must be at least equal to 20; its value by default (50) guarantees a satisfactory accuracy (about 1à 2%) in most case.

◇ NMAX\_ITER\_PAS

maximum Number of reductions of time step per computation step:

$$\text{if } err > 1 \text{ and } N_{iter} < N_{iter,max} : \Delta t_n = \text{cdp} * \Delta t_n$$

It is by default equal to 16, which limits the coefficient of reduction of the step to  $(1/1,33)^{16} = 10^{-2}$  by iteration. NMAX\_ITER\_PAS can be:

- increased to allow time step to fall in a more brutal way,
- decreased if time step seems excessively refined.

◇ PAS\_MINI = dtmin

minimal Value of time step. If the conditions of reduction in time step are met, time step flow will be able to then decrease up to this limiting value.

If the user does not give a value to this optional parameter, then the code will calculate the time step minimal one from PAS\_LIMI\_RELTA.

## 4.13 Key word ARCHIVAGE

◇ ARCHIVAGE =

Factor key word defining the archivage. In the absence of this factor key word, all time step are filed.

Whatever the option of archivage chosen, one time step files the last and all the associated fields to allow a possible poursuite.

### 4.13.1 Operands LIST\_INST/INST

◇ /LIST\_INST = list

Lists realities defining times of computation for which the solution must be filed in the result concept dyna\_tran.

◇ /INST

Times of computation for which the solution must be filed in the result concept dyna\_tran .

### 4.13.2 Operand PAS\_ARCH

/PAS\_ARCH = ipa

Whole defining the periodicity of archivage of the solution of transient computation in the result concept dyna\_trans.

If ipa = 5 one files all the 5 computation steps.

### 4.13.3 Operand CRITERE

◇ CRITERE =

Indicates with which accuracy the search of time to be filed must be done:

"RELATIF" : interval of search [(1-PREC) .instant, (1+prec) .instant]

"ABSOLU" : interval of search [time-PREC, instant+prec]

the default value of the search criterion is "RELATIF".

### 4.13.4 Operand accuracy

◇ accuracy =/1.E-06 [DEFAULT]  
/prec [R]

Indicates with which accuracy the search of time to be filed must be done.

### 4.13.5 Operand CHAM\_EXCLU

◇ CHAM\_EXCLU = ( | "DEPL",  
| "QUICKLY",  
| "ACCE",  
)

Makes it possible to exclude the archivage from one or more fields among "DEPL", "QUICKLY" and "ACCE".

This exclusion is ignored for the last moment of computation: the three fields are necessary for a POURSUITE.

## 4.14 Operand TITER

◇ TITER = title

Titrates data structure result [U4.03.01].



## 5 Product concept

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`dyn` is a product concept of the `dyna_trans` type which will contain from 1 to 3 fields at nodes for each filed time.

These `cham_no` has as a symbolic name:

DEPL : displacement  
QUICKLY : velocity  
ACCE : acceleration

## 6 Stage of execution

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the use of the diagrams of the central differences and adaptive imposes certain restrictions of use:

- these two diagrams require the use of a diagonal mass matrix. A test checks that the mass matrix was created with option "MASS\_MECA\_DIAG" of `CALC_MATR_ELEM`. In addition, the mass matrix must be stored on sky line,
- it should not have other boundary conditions there only blocked degrees of freedom. A test checks that there are no boundary conditions of the connections type between degrees of freedom. It is not either possible to impose non-zero displacements via an assembled vector,
- for the diagram of the central differences, one makes sure that the time step selected one checks the stability conditions:

$dt < 0,05 / f_{max}$  with  $f_{max} = \max_{1 \leq i \leq nddl} \left( \frac{1}{2\pi} \sqrt{\frac{k_{ii}}{m_{ii}}} \right)$  and  $k_{ii}$   $m_{ii}$  diagonal terms of the stiffness matrixes and mass.

## 7 Bibliography

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- 1) BATHE K.J. : Finite Element Procedures in Analysis engineering. Prentice-hall, 1982.
- 2) LIGHT A.C.: Introduction of the explicit diagrams "central differences" and "time step adaptive" into operator `DYNA_LINE_TRAN` of *the Code\_Aster*. Note EDF HP51/97/067/A 1997.