
Operator TO SOLVE

1 Goal

Solving a system of equations linear (direct or iterative method)

the methods of resolutions established in *Code_Aster* and applicable by this command are:

- 1) the method `MULT_FRONT` (direct method),
- 2) method `LDLT` (direct method),
- 3) the method `MUMPS` (direct method),
- 4) the method `PCG` (iterative method),
- 5) method `PETSC` (iterative method).

The effective choice of the method is done through command `NUME_DDL` [U4.61.11].

For the direct methods, the matrix must be beforehand factorized by the command `TO FACTORIZE` [U4.55.01]. In the case of the iterative methods with prepacking, the matrix of pre conditioning is provided by the operator `TO FACTORIZE it-also` [U4.55.01].

The operator allows complex resolutions for the “direct” methods (not for the iterative methods).

Product a data structure of the `cham_no` type.

2 Syntax

```

U [cham_no_*] =RESOUDRE
(  ◊reuse=U          ,
  ◊MATR=A           ,
  #Si method LDLT, MULT_FRONT, MUMPS:
                                     / [matr_asse_DEPL_R]
                                     / [matr_asse_DEPL_C]
                                     / [matr_asse_TEMP_R]
                                     / [matr_asse_TEMP_C]
                                     / [matr_asse_PRES_R]
                                     / [matr_asse_PRES_C]

  #Si method PCG or PETSC:
                                     / [matr_asse_DEPL_R]
                                     / [matr_asse_TEMP_R]
                                     / [matr_asse_PRES_R]

  ◊CHAM_NO=B        ,          / [cham_no]
  ◊CHAM_CINE=vcine  ,          / [cham_no]

  #si method PETSC :
  ◊ALGORITHMME=/    "GMRES",    [DEFAULT]
                                     / "CG",
                                     / "CR",
                                     / "GCR",

  #si method MUMPS, PCG, PETSC :
  ◊RESI_RELA=/1.e-6 ,          [DEFAULT]
                                     /eps ,          [R]

  #si method PCG or PETSC :
  ◊◊MATR_PREC=precond , / [matr_asse_DEPL_R]
                                     / [matr_asse_TEMP_R]
                                     / [matr_asse_PRES_R]
  ◊NMAX_ITER=/niter ,          [I]
                                     /0 ,          [DEFAULT]

  ◊TITER=titr      ,          [1_K80]
  ◊INFO=/1         ,          [DEFAULT]
                                     /2 ,

)

If CHAM_NO: [cham_no_DEPL_R] then (*) →DEPL_R
            [cham_no_TEMP_R] →TEMP_R
            [cham_no_PRES_C] →PRES_C

```

3 General information

This command makes it possible to solve:

- by a direct method, the linear system $\mathbf{AX}=\mathbf{B}$, where \mathbf{A} is a matrix beforehand “factorized” by the command `TO FACTORIZE [U4.51.01.]`,
- by an iterative method (`PCG` or `PETSC`), the linear system $\mathbf{P}^{-1}\mathbf{AX}=\mathbf{P}^{-1}\mathbf{B}$, where \mathbf{P}^{-1} is a matrix of prepacking determined by the command `TO FACTORIZE [U4.51.01]` and \mathbf{A} stamps it assembled initial.

The resolution is possible for boundary conditions of Dirichlet (kinematical boundary conditions) dualized or eliminated [U2.01.02]. In this last case, if the loading $\mathbf{X}=\mathbf{X}_0$ on “edge” Γ_0 is applied with a kinematical load (operator `AFFE_CHAR_CINE [U4.44.03]`) taken into account in the assembled matrix (operator `ASSE_MATRICE [U4.61.22]`), the “value” of this loading (\mathbf{X}_0) , calculated by the operator `CALC_CHAR_CINE [U4.61.03]` must be provided by key word `CHAM_CINE`.

4 Operands

4.1 Operand `MATR`

◆`MATR=A` ,

Name of the matrix assembled of the system to solve:

- For the direct methods, one provides to `MATR` the concept modified by the operator `TO FACTORIZE` ; this matrix can be real or complex, symmetric or not.
- For the iterative methods, one provides to `MATR` the initial assembled matrix. The matrix of prepacking is with being provided `MATR_PREC` with the key word.

4.2 Operand `CHAM_NO`

◆`CHAM_NO=B` ,

Name of the second member vector (in general obtained by the command `ASSE_VECTEUR`).

4.3 Operand `CHAM_CINE`

◇`CHAM_CINE =vcine` ,

Name of the vector representing the “value” of the boundary conditions of Dirichlet eliminated (i.e. applied with one of commands `AFFE_CHAR_CINE` or `AFFE_CHAR_CINE_F`).

This `cham_no` comes from the execution of operator `CALC_CHAR_CINE` on the list of the `char_cine` (kinematical loadings) associated with the matrix assembled `A` [U2.01.02].

4.4 Operand `ALGORITHM`

```
◇ ALGORITHM =/"GMRES" [DEFAULT]
              /"CG"
              /"CR"
              /"GCR"
```

This key word is used to choose the algorithm of iterative method `PETSC`. The various algorithms available are documented in the key word `solver [U4.50.01]`.

Warning : The translation process used on this website is a "Machine Translation". It may be imprecise and inaccurate in whole or in part and is provided as a convenience.

4.5 Operand **MATR_PREC**

◇MATR_PREC=precond

Matrix of prepacking, obtained by the operator `TO FACTORIZE` [U4.55.01].

Prepacking is necessary in the iterative methods to obtain a good convergence in a minimum of iterations.

With the method `PCG`, the matrix of prepacking is a matrix distinct from the matrix of the problem (key word `MATR`).

On the other hand, with method `PETSC`, it is advised to use the same matrix for `MATR_PREC` and `MATR`, which wants to say that the command `TO FACTORIZE` must be made "places from there" (with the key word `reuse`). See example below.

4.6 Operand **RESI_RELA**

◇RESI_RELA = /1.e-6 , [DEFAULT]
/eps , [R]

This key word is described in [U4.50.01]

For the iterative methods `PCG` and `PETSC`, it acts of the convergence criterion of the algorithm.
For the method `MUMPS`, this key word makes it possible to check the quality of the solution .

4.7 Maximum operand

NMAX_ITER

◇NMAX_ITER=niter Nombre of iterations of the iterative algorithm.

If `niter = the 0` then algorithm chooses a by default nombre of iterations.

4.8 Operand **TITER**

◇TITER=titr ,

Title which one wants to give to result produced [U4.03.01].

4.9 Operand **INFO**

◇INFO=

1 : no printing.

2 : printings

5 Resolution

5.1 Examples by direct method MULT_FRONT

- Constitution of the assembled matrixes:

One calculated before elementary terms KEL, FEL.

```
NU=NUMÉRIQUE_DDL (MATR_RIGI=KEL, METHODE=' MULT_FRONT')
K=ASSE_MATRICE   (MATR_ELEM=KEL, NUMÉRIQUE_DDL=NU,)
F=ASSE_VECTEUR   (MATR_ELEM=FEL, NUMÉRIQUE_DDL=NU,)
```

- Factorization:

```
K=FACTORISER (reuse=K, MATR_ASSE=K,)
```

- Resolution:

```
U=RESOUDRE (MATR=K, CHAM_NO=F,)
```

- for the use of the kinematical loads (with elimination of the imposed degrees of freedom), to see the example set in command AFFE_CHAR_CINE [U4.44.03].

5.2 Resolution by the method MUMPS

```
NU=NUMÉRIQUE_DDL (MATR_RIGI= KEL, METHODE= "MUMPS", RENUM=' METIS')

K=ASSE_MATRICE ( MATR_ELEM= KEL, NUME_DDL= NU)
F=ASSE_VECTEUR ( VECT_ELEM= FEL, NUME_DDL= NU)
K=FACTORISER ( reuse= K, MATR_ASSE= K)
dep=RESOUDRE ( CHAM_NO = F , MATR= K )
```

5.3 Resolution by the method of the pre conjugate gradient conditioned

```
NU=NUMÉRIQUE_DDL (MATR_RIGI= KEL, METHODE= "PCG")

K=ASSE_MATRICE ( MATR_ELEM= KEL, NUME_DDL= NU)
F=ASSE_VECTEUR ( VECT_ELEM= FEL, NUME_DDL= NU)
KPREC=FACTORISER ( MATR_ASSE= K)
dep=RESOUDRE ( CHAM_NO = F , MATR= K,
              NMAX_ITER= 1000 , RESI_RELA= 1e-07
            )
```

5.4 Resolution by method PETSC

```
NU=NUMÉRIQUE_DDL (MATR_RIGI= KEL, METHODE= "PETSC")

K=ASSE_MATRICE ( MATR_ELEM= KEL, NUME_DDL= NU)
F=ASSE_VECTEUR ( VECT_ELEM= FEL, NUME_DDL= NU)
K=FACTORISER ( reuse=K, MATR_ASSE= K)
dep=RESOUDRE ( CHAM_NO = F , MATR= K, MATR_PREC= K,
              ALGORITHM=' GMRES',
              NMAX_ITER= 1000 , RESI_RELA= 1e-07
            )
```

