

## SSNV240 - Law of behavior KIT\_RGI : free swelling on test-tube

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### Summary:

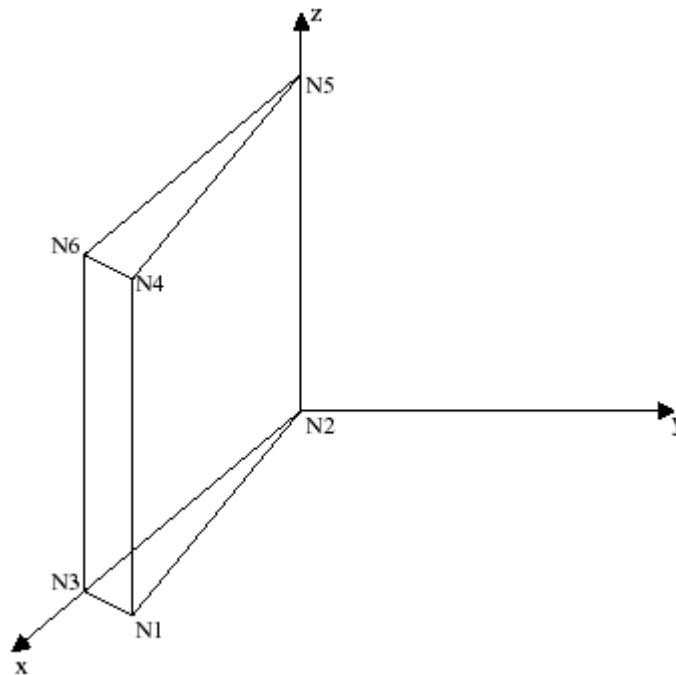
This document presents a test making it possible to validate the capacities of the model of behavior `KIT_RGI` and more precisely the module `RGI_BETON`. Let us specify that `KIT_RGI` is a set of three modules allowing to take into account the deformation differed from the concrete with `FLUA_PORO_BETON`, the damage of the concrete with `ENDO_PORO_BETON` and the reaction alkali-aggregate with `RGI_BETON`. A free test of swelling under the effect of the reaction alkali-aggregate on a test-tube is simulated. Let us specify that the properties materials do not correspond to a real concrete.

## 1 Problem of Reference

The digital simulations carried out here aim to check the capacity of the model to reproduce the evolution of swellings of a test-tube in free swelling.

### 1.1 Geometry

The test is based on the representation of a test-tube  $13 \times 24 \text{ cm}$ .



### 1.2 Property of materials

Young modulus:  $E = 38000 \text{ MPa}$

Poisson's ratio:  $\nu = 0.13$

Tensile strength:  $\sigma_{ft} = 3.7 \text{ MPa}$

Compressive strength:  $\sigma_{fc} = 38.3 \text{ MPa}$

Deformation with the peak of compression:  $\varepsilon_{fc} = 2,0 \cdot 10^{-3}$

Deformation with the peak of traction:  $\varepsilon_{ft} = 2,0 \cdot 10^{-4}$

The properties materials of the RAG are the following ones:

- ◆ ALUC =  $ALUC = 500 \text{ mol l}(mm^3)$ ,
- ◆ SULC =  $SULC = 177 \text{ mol l}(mm^3)$ ,
- ◆ SILC =  $SILC = 1354 \text{ mol l}(mm^3)$ ,
- ◆ TDEF =  $TDEF = 20 \text{ }^\circ\text{C}$ ,
- ◆ TAAR =  $TAAR = 120 \text{ s}^{-1}$ ,
- ◆ SSDE =  $SSDE = 0,95$ ,
- ◆ SSAR =  $SAAR = 0,2$ ,
- ◆ VAAR =  $VAAR = 0,0055 \text{ mm}^3$ ,
- ◆ VETT =  $VETT = 715 \text{ e-}6 \text{ mm}^3$ ,
- ◆ VVAR =  $VVAR = 0,15 * VAAR \text{ mm}^3$ ,

- ◆ VVDE =  $VVDE = 0,0001 \text{ mm}^3$  ,
- ◆ BAAR =  $BAAR = 0,23$  ,
- ◆ BDEF =  $BDEF = 1$  ,
- ◆ MAAR =  $MAAR = 27700.0 \text{ MPa}$  ,
- ◆ MDEF =  $MDEF = 0 \text{ MPa}$  ,
- ◆ COth =  $coth = 0$  ,
- ◆ CORG =  $CORG = 0$  ,
- ◆ ID0 =  $ID0 = 0$  ,
- ◆ ID1 =  $ID1 = 6,2$  ,
- ◆ ID2 =  $ID2 = 11$  ,

Only asymptotic swellings are taken into account for the identification of the parameters " RAG ". For each test-tube, simulation takes into account the degree of saturation as well as stresses axial and radial.

The parameters of creep are identified in order to represent the following curves of creep:

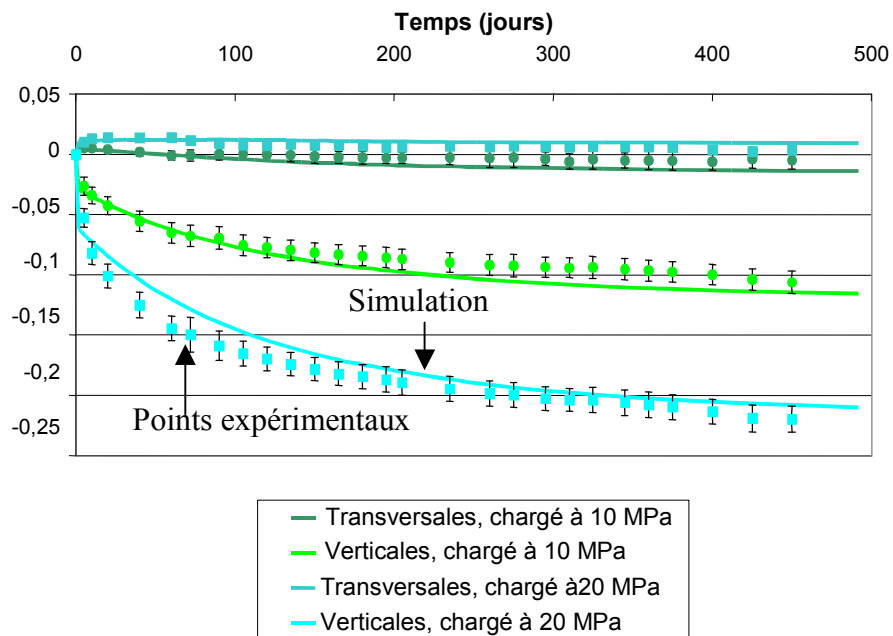


Figure 1.2-1 : Identification of the parameters of creep (FLUA\_PORO\_BETON) on a creep test

## 1.3 Boundary conditions and loadings

It is here about a test-tube in free swelling.

The loading is done by the variables of ordering of temperature and saturation:

- The coefficient of saturation varies linearly from 0.83 with  $t=0 \text{ jours}$  to 0.54 with  $t=500 \text{ jours}$  .
- The temperature is constant equal to  $20^\circ \text{ C}$  of  $t=0 \text{ jours}$  with  $t=28 \text{ jours}$  .
- The temperature varies linearly  $20^\circ \text{ C}$  with  $t=28 \text{ jours}$  with  $38^\circ \text{ C}$  with  $t=29 \text{ jours}$  .
- The temperature is constant equal to  $38^\circ \text{ C}$  of  $t=29 \text{ jours}$  with  $t=500 \text{ jours}$  .

Boundary conditions:

- $DY=0$  on the face  $N2N3N6N5$
- $DNOR=0$  on the face  $N2N1N4N5$

- $DZ=0$  on the lower face
- a pressure is applied to the upper surface and follows the following function:
  - with  $t=0.0$  jour ,  $P=0,00001$  MPa
  - with  $t=28$  jours ,  $P=0,00001$  MPa
  - with  $t=29$  jours ,  $P=0,00000001$  MPa
  - with  $t=500$  jours ,  $P=0,00000001$  MPa

## 1.4 Initial conditions

Nothing

## 2 Reference solution

### 2.1 Method of calculating

A calculation of nonregression east realizes.

### 2.2 Sizes and results of reference

The answer of model KIT\_RGI is illustrated by the following figure:

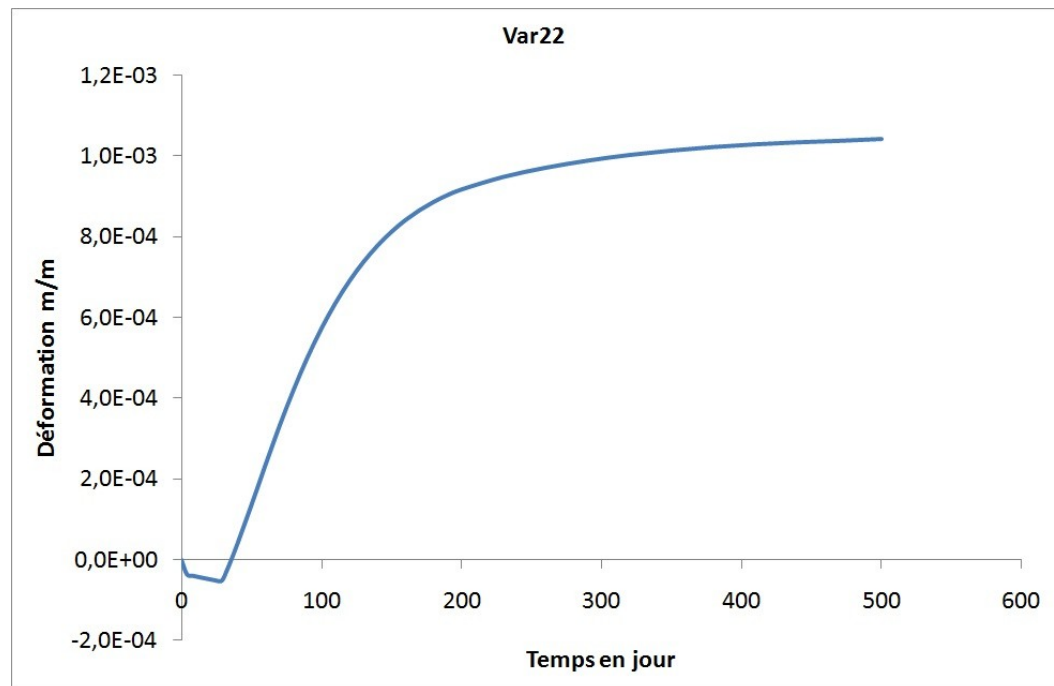


Figure 2-2: Vertical deformation of the test-tubes in free swelling

This curve does not characterize a real concrete. Only the general form is required. The values tested are displacements  $DZ$ , the volume of freezing induced by the RAG  $V22$  and pressure of freezing  $V18$  on the node  $N5$  at several moments.

### 2.3 Uncertainties on the solution

Without object

### 2.4 Bibliographical references

Nothing

## 3 Modeling A

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### 3.1 Characteristic of modeling

The problem is modelled in 3D.

### 3.2 Characteristic of the grid

1 mesh PENTA6

### 3.3 Sizes tested and results

Sizes tested with the node  $N5$  afterwards the calculation of RGI\_BETON are the volume of freezing of RAG  $V22(N5)$  with the sequence number 8 and the deformation  $DZ(N5)$  with the sequence number 39. At the end of the calculation of KIT\_RGI, deformations  $DZ(N6)$  with the node  $N6$  and  $DZ(N5)$  with the node  $N5$  are tested respectively with the sequence numbers 8 and 39. Pressure of freezing  $V18(N5)$  is tested with the node  $N5$  and with the sequence number 39

## 4 Summary of the results

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The results calculated by Code\_Aster check the not-regression.