

## WTNV140 - Drained elastic triaxial compression test anisotropic

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### Summary:

This test makes it possible to validate the mechanical part of the transverse anisotropy in THM. It is about a triaxial compression test with worthless pressure. This test can thus be compared with a case of pure mechanics.

The reference mark of anisotropy will be different from the principal reference mark. One tests various geometries (3D, 2D, AXI).

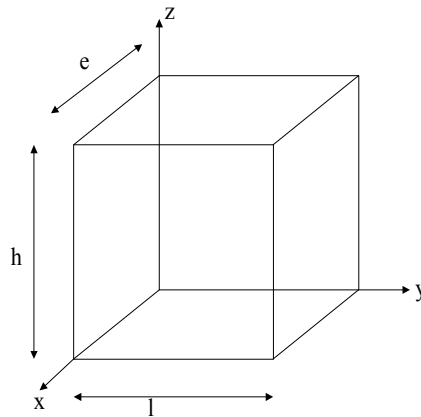
Modeling A is an elastic case in transverse 3D isotropy treated in pure mechanics then in HM.

Modeling B is an elastic case in 2D orthotropic treaty in pure mechanics then in HM.

Modeling C is an elastic case in axisymetry treaty in pure mechanics then in HM.

## 1 Problem of reference

### 1.1 Geometry



height:  $h = 1\text{ m}$

width:  $l = 1\text{ m}$

thickness:  $e = 1\text{ m}$

One will also distinguish for modelings C and D, a geometry 2D of  $1\text{ m} \times 1\text{ m}$ .

### 1.2 Properties of material

- Case general 3D (transverse isotropy)

Parameters specific to ELAS\_ISTR :

$$\%E_L = 9\text{ GPa} \quad \%E_N = 18\text{ GPa} \quad N_{LT} = 0.24 \quad N_{LN} = 0.48 \quad G_{LN} = 8.88\text{ GPa}$$

The transverse reference mark of anisotropy is defined by the nautical angles  $\alpha = 30^\circ$  and  $\beta = -60^\circ$ .

- Case general 2D (orthotropism)

Parameters specific to ELAS\_ORTH :

One will make for modelings C and D which are D\_PLAN, an alternative by considering that the 2D plan corresponds to the plan of anisotropy. In this case:

$$\%E_L = 9\text{ GPa} \quad \%E_T = 18\text{ GPa} \quad \text{and} \quad \%E_N = 9\text{ GPa}$$

$$N_{LT} = 0.48 \quad N_{LN} = 0.24 \quad N_{\%TN} = 0.48 \quad G_{LN} = 8.88\text{ GPa}$$

The transverse reference mark of anisotropy is defined by the nautical angle  $\alpha = 40^\circ$ .

- Parameters related to the THM (here without impact since the pressure is kept worthless:  
PORO = 0.14, coefficients of Biot  $B_L = 0.3$  and  $B_N = 0.6$ .

### 1.3 Boundary conditions and loadings

On the edge plan  $x=1\text{m}$  : application of containment  $P=25\text{MPa}$

On the edge plan  $z=1\text{m}$  : application of containment  $P=29\text{MPa}$  (case 3D)

On the edge plan  $y=1\text{m}$  : application of a displacement of  $0,01\text{m}$  according to a slope of  $1\text{s}$ .

Conditions of symmetry are applied to the other edges and the pressure is kept worthless everywhere (total drainage).

## 1.4 Initial conditions

The initial constraints are anisotropic (in the global level), that is to say:

$$\sigma_{xx} = -25\text{MPa} ; \sigma_{yy} = -22\text{MPa} ; \sigma_{zz} = -29\text{MPa}$$

## 2 Reference solution

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For each modeling, a calculation in pure mechanics is used as reference to calculation THM.

## 3 Modeling A

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Modeling A is a case of pure mechanics in transverse isotropy 3D (modeling already validated in addition) followed by same in modeling HM (elastic saturated modeling).

### 3.1 Characteristics of modeling

Modeling 3D\_SI then Modeling 3D\_HMS

### 3.2 Characteristics of the grid

Many meshes:  $5 \times 5 \times 5$  of type HEXA20 and 150 QUAD8

### 3.3 Sizes tested and results

Displacements will be observed  $DX$  and  $DZ$  at the point of coordinates  $(1,1,1)$ , that is to say  $N7$  and displacement in  $DY$  at the point of coordinate  $(0.8,0.2,0.8)$  that is to say  $N216$

It is checked that the results in HM are the same ones as in pure mechanics, which is used as reference:

Node	Moment	Size	Reference	Aster
$N7$	1	$DX$	Pure mechanical modeling	$- 5.98E-3$
$N7$	1	$DY$	Pure mechanical modeling	$- 3.569E-3$
$N216$	1	$DY$	Pure mechanical modeling	$- 1.965E-3$

## 4 Modeling B

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Modeling B is a case of pure mechanics orthotropic 2D (modeling already validated in addition) followed by the same modeling in HM (elastic saturated modeling).

### 4.1 Characteristics of modeling

Modeling D\_PLAN then D\_PLAN\_HMS .

### 4.2 Characteristics of the grid

Many meshes: 90 of type TRIA6 and 24 SEG2

### 4.3 Sizes tested and results

Displacements will be observed  $DX$  and  $DY$  at the central point of coordinates  $(5.38,4.85)$ , that is to say  $N32$  .

It is checked that the results in HM are the same ones as in pure mechanics, which is used as reference:

Node	Moment	Size	Reference	Aster
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<i>N32</i>	1	<i>DX</i>	Pure mechanical modeling	3.68E-3
<i>N32</i>	1	<i>DY</i>	Pure mechanical modeling	-4.98E-3

## 5 Modeling C

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Even thing that modeling B but in axisymetry.

### 5.1 Characteristics of modeling

Modeling `AXIS` then `AXIS_HMS`.

### 5.2 Characteristics of the grid

Many meshes: 90 of type `TRIA6` and 24 `SEG2`

### 5.3 Sizes tested and results

Displacements will be observed *DX* and *DY* at the central point of coordinates (5.38,4.85), that is to say *N32*.

It is checked that the results in HM are the same ones as in pure mechanics, which is used as reference:

<b>Node</b>	<b>Moment</b>	<b>Size</b>	<b>Reference</b>	<b>Aster</b>
<i>N32</i>	1	<i>DX</i>	Pure mechanical modeling	2.997E-3
<i>N32</i>	1	<i>DY</i>	Pure mechanical modeling	-4.886E-3

## 6 Conclusion

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Anisotropic modelings THM are coherent with anisotropic mechanical modelings.