

## SSNV181 - Checking of the good taking into account of shearing in the models `BETON_UMLV` and `BETON_BURGER`

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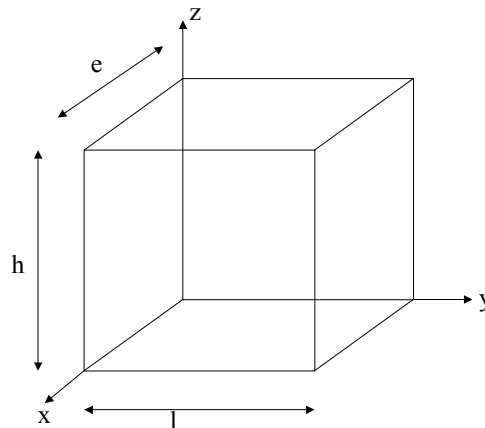
### Summary:

This test makes it possible to validate the good taking into account of shearing in the laws of behavior `BETON_UMLV` and `BETON_BURGER`. The results of this test are compared with an analytical solution.

- Modeling a: long-term Test shear with the model `BETON_UMLV`.
- Modeling b: long-term Test shear with the model `BETON_BURGER`.

## 1 Problem of reference

### 1.1 Geometry



Height:  $h = 1,00 [m]$   
 Width:  $l = 1,00 [m]$   
 Thickness:  $e = 1,00 [m]$

### 1.2 Properties of material

$E = 31 [GPa]$  modulus of elasticity  
 $\nu = 0.2$  Poisson's ratio

Parameters specific to the model BETON\_UMLV :

$k_r^s = 1,20E + 5 [MPa]$	spherical part: rigidity connects associated with the skeleton formed by blocks with hydrates on a mesoscopic scale
$k_i^s = 6,22E + 4 [MPa]$	spherical part: rigidity connects intrinsically associated with the hydrates on a microscopic scale
$k_r^d = 3,86E + 4 [MPa]$	deviatoric part: rigidity associated with the capacity with water adsorbed to transmit loads ( <i>load bearing toilets</i> )
$\eta_r^s = 2,21E + 10 [MPa.s]$	spherical part: viscosity connects associated with the mechanism with diffusion within capillary porosity
$\eta_i^s = 4,16E + 10 [MPa.s]$	spherical part: viscosity connects associated with the mechanism with diffusion interlamellaire
$\eta_r^d = 6,19E + 10 [MPa.s]$	deviatoric part: viscosity associated with the water adsorbed by the layers with hydrates
$\eta_i^d = 1,64E + 12 [MPa.s]$	deviatoric part: viscosity of free water.

Parameters specific to the model `BETON_BURGER` :

$k_r^s = 1,20E + 5$ [ MPa ]	spherical part: rigidity connects associated with the reversible field with the differed deformations
$\kappa = 10.0$	Normalizes unrecoverable deformations controlling to it not linearity applied to the module of the long-term deformations
$k_r^d = 3,86E + 4$ [ MPa ]	deviatoric part: rigidity associated associated with the reversible field with the differed deformations
$\eta_r^s = 2,21E + 10$ [ MPa.s ]	spherical part: viscosity connects associated with the reversible field with the differed deformations
$\eta_i^s = 4,16E + 10$ [ MPa.s ]	spherical part: viscosity connects associated with the irreversible mechanism of diffusion
$\eta_r^d = 6,19E + 10$ [ MPa.s ]	deviatoric part: viscosity associated with the reversible field with the differed deformations
$\eta_i^d = 1,64E + 12$ [ MPa.s ]	deviatoric part: viscosity connects associated with the irreversible mechanism of diffusion

## 1.3 Boundary conditions and loadings

In this test, one creates a field of homogeneous and constant drying in the structure. The mechanical loading corresponds to a shearing in the plan  $xz$  ; its intensity is of  $10$  [ MPa ] . The load is applied in  $1s$  and is maintained constant for 750 days.

## 1.4 Initial conditions

The beginning of calculation is supposed the moment  $-1$ . At this moment there is neither field of drying, nor forced mechanical.

To moment 0, one applies a field of drying corresponding to  $100\%$  of hygroscoy.

## 2 Reference solution

### 2.1 Method of calculating

The analytical solution rests on the resolution of the two differential equations which control the deviatoric part of the behavior (cf [R7.01.06] and [R7.01.35]). The choice of the parameter  $\kappa$  a very large value an equivalence between the two models for the loading applied ensures.

The deviatoric constraints are at the origin of a mechanism of slip (or mechanism of quasi dislocation) of the layers of HSC in nano-porosity. Under deviatoric constraint, creep is carried out with constant volume. In addition, the law of creep UMLV supposes the deviatoric isotropy of creep. Phénoménologiquement, the mechanism of slip comprises a viscoelastic reversible contribution of water strongly adsorbed to the layers of HSC and a viscous irreversible contribution of free water:

$$\begin{array}{c} \varepsilon^{fd} \\ \text{totale} \end{array} = \begin{array}{c} \varepsilon^{fd} \\ \text{eau} \\ \text{absorbée} \end{array} + \begin{array}{c} \varepsilon^{fd} \\ \text{eau} \\ \text{libre} \end{array} \quad \text{éq 2.1-1}$$

$j^{\text{ème}}$  principal component of the total deviatoric deformation is governed by the equations [éq 2.1 - 2] and [éq 2.1- 3]:

$$\eta_r^d \dot{\varepsilon}_r^{d,j} + k_r^d \varepsilon_r^{d,j} = h \cdot \sigma^{d,j} \quad \text{éq 2.1-2}$$

where  $k_r^d$  indicate rigidity associated with the capacity with water adsorbed to transmit loads (*load bearing toilets*);

and  $\eta_r^d$  viscosity associated with the water adsorbed by the layers with hydrates.

$$\eta_i^d \dot{\varepsilon}_i^{d,j} = h \cdot \sigma^{d,j} \quad \text{éq 2.1-3}$$

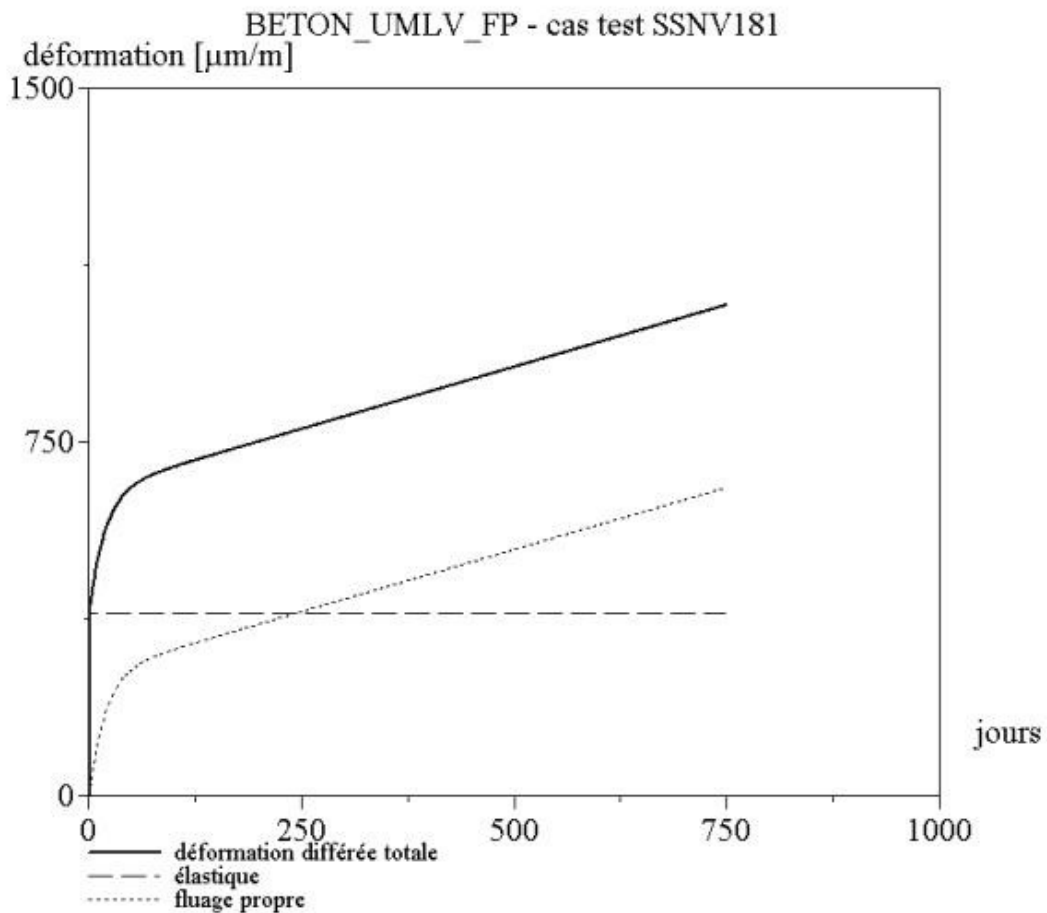
where  $\eta_i^d$  indicate the viscosity of free water.

In the case of a level of constraint  $\sigma_{xz}$ , the corresponding deformation of creep deviatoric is immediately deduced:

$$\varepsilon_{xz}^f = \sigma_{xz} \cdot \frac{t}{\eta_i^d} + \left(1 - e^{-\frac{k_i^d t}{\eta_i^d}}\right) \sigma_{xz} \quad \text{éq 2.1-4}$$

When the elastic part is added, it follows that the total deflection of shearing is worth:

$$\varepsilon_{xz}^f = \sigma_{xz} \cdot \frac{1+\nu}{E} + \frac{t}{\eta_i^d} + \left(1 - e^{-\frac{k_i^d t}{\eta_i^d}}\right) \sigma_{xz} \quad \text{éq 2.1-5}$$



## 2.2 Sizes and results of reference

The test is homogeneous. One tests the deformation in an unspecified node.

## 2.3 Uncertainties on the solution

Analytical solution.

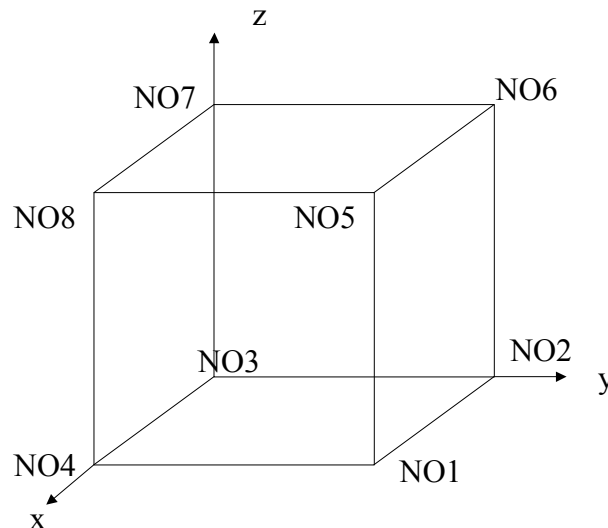
## 2.4 Bibliographical references

- POPE Y.: Relation of behavior UMLV for the clean creep of the concrete, Reference material of Code\_Aster [R7.01.06] 16 p (2002).
- FOUCAULT, A.: Relation of behavior BETON\_BURGER, Reference material of Code-Aster [R7.01.35], 2011.

## 3 Modeling A

### 3.1 Characteristics of modeling

Modeling 3D



### 3.2 Characteristics of the grid

Many nodes: 8  
Many meshes: 1 of type HEXA 8  
6 of type QUAD 4

The following meshes are defined:

```
S_ARR NO3 NO7 NO8 NO4
S_AVT NO1 NO2 NO6 NO5
S_DRT NO1 NO5 NO8 NO4
S_GCH NO3 NO2 NO6 NO7
S_INF NO1 NO2 NO3 NO4
S_SUP NO5 NO6 NO7 NO8
```

The boundary conditions in displacement imposed are:

On the nodes *NO1* , *NO2* , *NO3* and *NO4* :  $DZ=0$   
On the nodes *NO3* , *NO7* , *NO8* and *NO4* :  $DY=0$   
On the nodes *NO2* , *NO6* , *NO7* and *NO8* :  $DX=0$

The loading is consisted by the same field of drying and of the same nodal force 1/4 applied out of the four nodes of *S\_SUP* .

### 3.3 Sizes tested and results

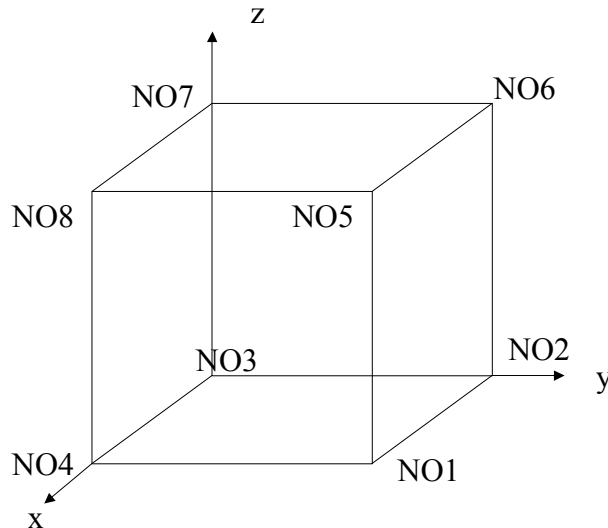
The component  $\varepsilon_{xz}$  with the node *NO6* was tested.

Moment	Type of Reference	Reference	% tolerance
64800	`ANALYTICAL`	+3.975E-04	0.5
648000	`ANALYTICAL`	+4.770E-04	0.5
6480000	`ANALYTICAL`	+6.811E-04	0.5
64800000	`ANALYTICAL`	+10.413E-04	0.5

## 4 Modeling B

### 4.1 Characteristics of modeling

Modeling 3D



### 4.2 Characteristics of the grid

Many nodes: 8  
Many meshes: 1 of type HEXA 8  
6 of type QUAD 4

The following meshes are defined:

```
S_ARR NO3 NO7 NO8 NO4
S_AVT NO1 NO2 NO6 NO5
S_DRT NO1 NO5 NO8 NO4
S_GCH NO3 NO2 NO6 NO7
S_INF NO1 NO2 NO3 NO4
S_SUP NO5 NO6 NO7 NO8
```

The boundary conditions in displacement imposed are:

On the nodes NO1 , NO2 , NO3 and NO4 :  $DZ=0$   
On the nodes NO3 , NO7 , NO8 and NO4 :  $DY=0$   
On the nodes NO2 , NO6 , NO7 and NO8 :  $DX=0$

The loading is consisted by the same field of drying and of the same nodal force 1/4 applied out of the four nodes of S\_SUP .

### 4.3 Sizes tested and results



The component  $\varepsilon_{xz}$  with the node *NO6* was tested.

Moment	Type of Reference	Reference	% tolerance
64800	`ANALYTICAL`	+3.975E-04	0.5
648000	`ANALYTICAL`	+4.770E-04	0.5
6480000	`ANALYTICAL`	+6.811E-04	0.5
64800000	`ANALYTICAL`	+10.413E-04	0.5

## 5 Summary of the results

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Values obtained with *Code\_Aster* are in agreement with the values of the analytical solution of reference.